- 1. Goals (Section 4.10)
 - a. Anti-derivatives
 - b. Initial Value Problems
- 2. Anti-derivative Definition
 - a. The anti-derivative of f(x) is a function F(x) such that f(x) = F'(x)
 - b. Way to think of anti-derivative: The reverse of differentiation
 - c. Examples of Verifying SECTION 4.10: 465 469
- 3. Examples (do not use formulas!):
 - a. e^x, sin (Kx), cos (Kx)
 - b. constants; zero
 - c. powers of x; include fractional powers
 - d. addition of functions
- 4. Antiderivative Theorem
 - a. Observe: Multiple anti-derivatives.
 - b. Theorem: Suppose F(x) is an antiderivative of f(x). Then
 - i. F(x) + C is also an antiderivative, for every constant C.
 - ii. Furthermore, f(x) has no other antiderivatives.
- 5. Notation and terminology
 - a. If F(x) is an antiderivative of f(x), then F(x) + C is called the "most general antiderivative of f(x)" or the "indefinite integral of f(x)"
 - b. Write $\int f(x)dx = F(x) + C$ "F(x) + C is the most general antiderivative of f(x)"
 - c. Distinguish "an antiderivative" from "the most general antiderivative".
 - d. Verification example:

i.
$$\int \sqrt{2x+1} \, dx = \left(\frac{1}{2}\right) (2x+1)^{\frac{3}{2}} + C$$

- e. Write some of previous examples in notation.
- f. Picture of multiple anti-derivatives (page 488, Figure 4.85)
- 6. Formulas
 - a. See table on Page 489 (Figure 4.13).
 - b. See Page 492 Theorem 4.16
- 7. Examples
 - a. Antiderivative of sin (5x), cos(5x)
 - b. Antiderivative of e^5x
 - c. SECTION 4.10: 470 498
- 8. Initial Value Problems
 - a. Example: Find the "function" whose slope is always 2?? ... (okay: and hits the y axis at 1)
 - b. Examples: do some of above with an initial value.
 - c. Note: It is finding the "function" that satisfies the equation.
 - d. Examples SECTION 4.10: 499 503
- 9. Application to displacement, velocity, and acceleration.
 - a. Have opposite relationship from below...
 - b. Examples SECTION 4.10: 509 514