## Mth 30, Homework 5 on sections 3.3, 3.4 Due by Wed, Mar 6.

Please use lots of space and explain your answers, showing clearly any work you had to do. Each question is worth 3 points.

- (1) For the power function  $f(x) = -2x^3$ ,
  - (a) Compute f(10) and f(100), showing the behavior going right.
  - **(b)** Compute f(-10) and f(-100), showing the behavior going left.
- (2) For the same  $f(x) = -2x^3$ , fill in the blanks describing its end behavior:
  - (a) As  $x \to \infty$ ,  $f(x) \to$ \_\_\_\_.
  - (b) As  $x \to -\infty$ ,  $f(x) \to \_$ .

(Hint: your answers here should be  $\infty$  or  $-\infty$  and should match Question 1.)

- (3) Give the end behavior of  $g(x) = 12x^4 4x + 7$  by drawing the arrows that show the direction of the graph going left and right.
- (4) Find the *x* and *y* intercepts and end behavior of f(x) = -2x(x-2)(x+5) and use this information to sketch its graph. Make sure to label and number the axes.

(Hint: there are three *x* intercepts.)

- (5) Find the *x* intercepts of  $h(x) = 2x^4 8x^3 + 6x^2$ (Hint: to factor h(x) take out the gcd first)
- (6) Find the zeros of  $f(x) = x^3 + 2x^2 9x 18$ (Hint: The zeros are just another name for the *x* intercepts. Factor by grouping.)
- (7) For  $g(x) = (2x+1)^3(9x^2 6x + 1)$  use factoring to explain why its zeros are just -1/2 and 1/3 and give their multiplicities.
- (8) Sketch the graph of h(x) = (x + 3)<sup>2</sup>(x 2) after finding its end behavior, intercepts and multiplicities of zeros. Make sure to label and number the axes.
  (Remember that if the multiplicity is even then the graph does not cross the *x*-axis there.)

If you get stuck on a question or aren't sure if you understand it:

- Go over the relevant class notes and section in the textbook.
- Check if you get the right answer for a similar odd-numbered question in the textbook (answers at the back of the book).
- Ask me about it after class.
- Come to my office hours: Mon 12:00 1:00, Wed 12:00 1:00 in CP 317.
- Go to the Math Tutorial Lab in-person in CP 303 or online.