

NAME:

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DEPARTMENT OF MATHEMATICS AND COMPUTER SCIENCE

CSI35 Section D02

Sample Quiz 2

## Instructions

Solve all problems and mark your answers clearly. Show all work, using additional paper if needed.

1. Let  $S = \{a, b, c, d, e\}$  and let  $A_1 = \{a, b\}$ ,  $A_2 = \{c, d\}$ ,  $A_3 = \{e\}$  be a partition of  $S$ . Write the 0 – 1 matrix for the relation on  $S$  which gives  $\{A_1, A_2, A_3\}$  as equivalence classes.
2. Construct the Hasse diagram showing the set-inclusion poset for the set  $\{a, b, c, d\}$  and all its subsets of odd cardinality (i.e., of size 3 or size 1). Identify any maximal elements, minimal elements, and any greatest or least elements.
3. Write the 0 – 1 matrix for the relation  $R$  on  $A = \{1, 2, 3, 4, 5\}$ , given by  $R = \{(x, y) \in A \times A \mid |x - y| < 3\}$ .  
Is  $R$  an equivalence relation? Why or why not?
4. Write the join for these two tables...  
This question is replaced, as announced in class, with one asking to give a representation of the composition of two relations, the first from a set  $A$  to a set  $B$  and the second from  $B$  to a set  $C$ . Related information may be asked for.